

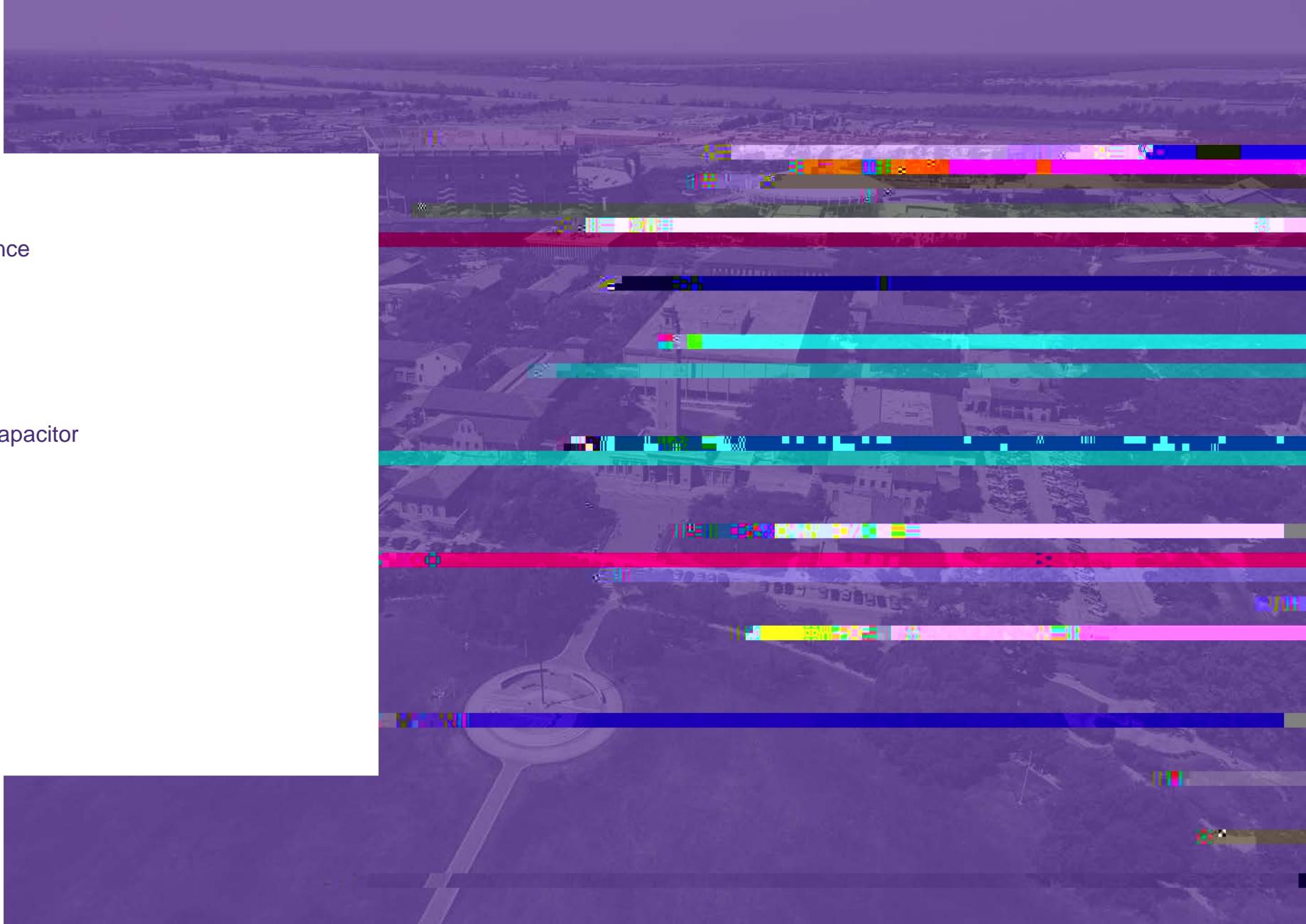


Electrical and Computer Engineering

FE Review



- Physics Review Capacitance
- Direct Current
- Resistance
- KVL, KCL
- Charging/Discharging a Capacitor
- Inductance l_r



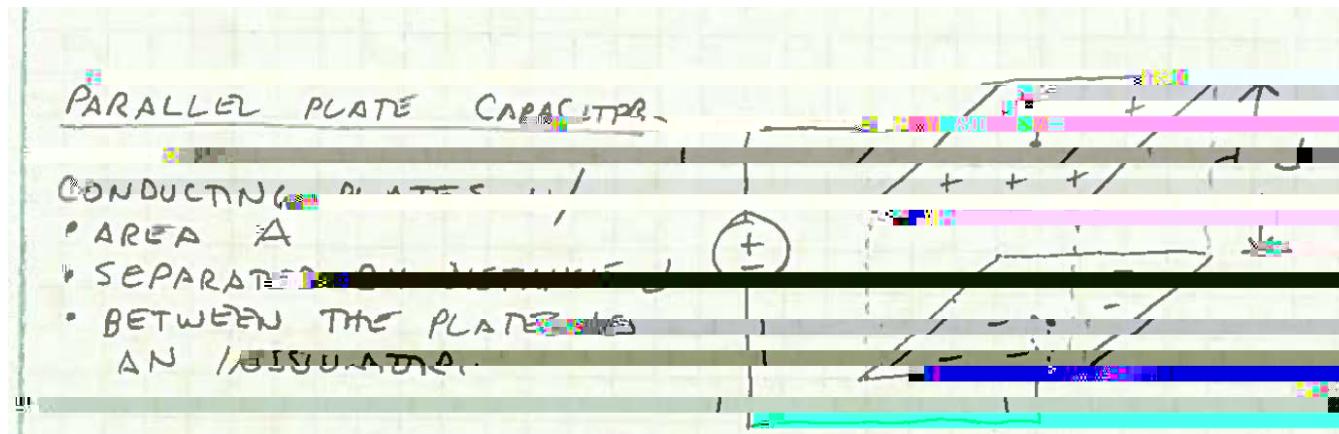
Mathematics	complex algebra, Laplace transforms, vector	
Probability and Statistics	normal distribution - device tolerances	EE 3150
Ethics and Professional Practice	IEEE Code of Ethics	
Engineering Economics	project management	IE 3201
Properties of Electrical Materials	conductors, semiconductors and insulators	EE 2230, 3232
Engineering Sciences	electrostatics and electromagnetics	PHYS 2113
Circuit Analysis (DC and AC Steady State)	KCL, KVL	EE 2120, 2130
Linear Systems	Properties of Linear, time-invariant systems - convolution, modeling, Laplace transform analysis	EE 3610
Signal Processing	continuous and discrete time processing, sampling, Fourier analysis	EE 3160, 3610
Electronics	diodes, op-amps, transistors and applications	EE 3220
Power	3-phase power, power factor and correction, synchronous generator	EE 3410
Electromagnetics	static and dynamic fields, electromagnetic waves, transmission lines	EE 3320
Control Systems	open loop and closed loop control, feedback systems	EE 3530
Communications	Digital coding of analog information, transmission, modulation, decision theory	EE 4625
Computer Networks	Network topology and architecture, protocol layers, security	EE 3710
Digital Systems	HDL, structural and behavioral models, synthesis, coding strategies for digital circuits	EE 4755





Examples 1,2,3

Capacitance = — (Farads) = —



Energy stored in Capacitance

$$w(t) = \frac{1}{2} C v^2(t)$$

INSULATORS HAVE A MATERIAL PROPERTY THAT ENHANCES ELECTRIC FIELD CAPACITY \rightarrow ENHANCED CAPACITANCE

PERMITTIVITY C

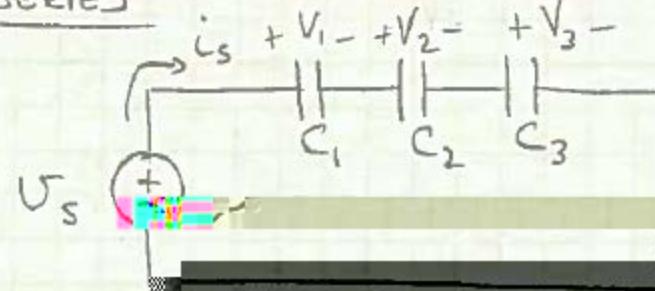
MATERIALS ARE COMPARED TO PERMITTIVITY OF FREE SPACE

$$\epsilon_0 = 8.85 \times 10^{-12} \text{ F/m}$$

For ~~new material~~ $\epsilon = \epsilon_r \epsilon_0$

$\epsilon_r \triangleq$ RELATIVE PERMITTIVITY

S-2

SERIES

$$i = C \frac{dV}{dt}$$

$$V_s = V_1 + V_2 + V_3$$

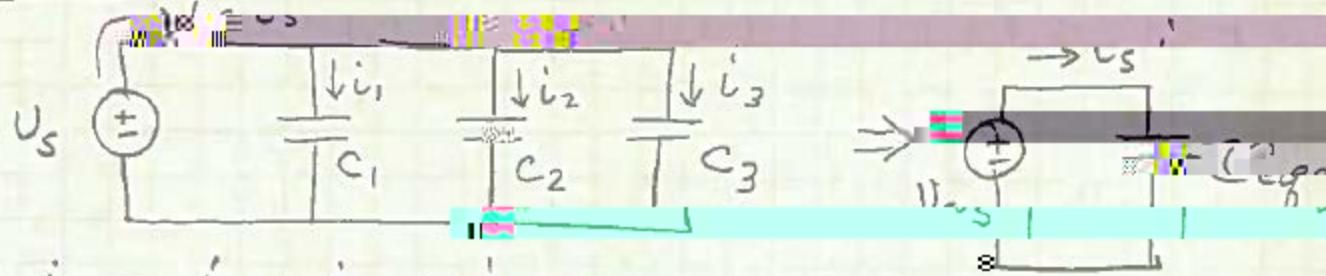
$$i_s = C_{eq} \frac{dV_s}{dt} = C_{eq} \left(\frac{dV_1}{dt} + \frac{dV_2}{dt} + \frac{dV_3}{dt} \right)$$

$$i_s = C_{eq} \left(\frac{i_s}{C_1} + \frac{i_s}{C_2} + \frac{i_s}{C_3} \right)$$

$$\frac{1}{C_{eq}} = \frac{1}{C_1} + \frac{1}{C_2} + \frac{1}{C_3}$$

SERIES

PARALLEL



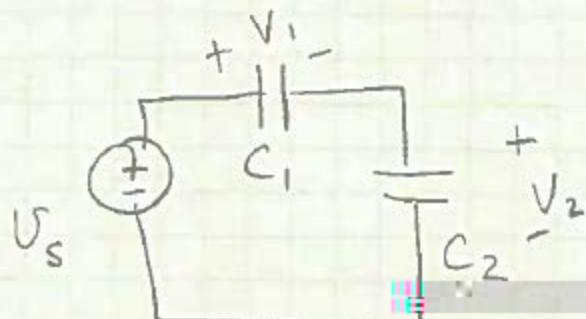
$$i_s = i_1 + i_2 + i_3$$

$$i_s = C_{eq} \frac{dV_s}{dt}$$

$$C_{eq} \frac{dV_s}{dt} = C_1 \frac{dV_s}{dt} + C_2 \frac{dV_s}{dt} + C_3 \frac{dV_s}{dt}$$

$$C_{eq} = C_1 + C_2 + C_3$$

K, A, R, N, L, U, E, L



$$V_1 = V_s \left(\frac{C_2}{C_1 + C_2} \right)$$

$$V_2 = V_s \left(\frac{C_1}{C_1 + C_2} \right)$$



Go to paper lecture notes